

READING LIST FOR FALL 2009 SEMINAR ON TRACE FORMULAS AND INDEPENDENCE OF ℓ

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This bibliography will likely grow as the seminar progresses, so please check the electronic version for updates.

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